



# Geotechnical Engineering–I

## *BSc Civil Engineering – 4<sup>th</sup> Semester*

Lecture # 19  
10-Apr-2015

*by*

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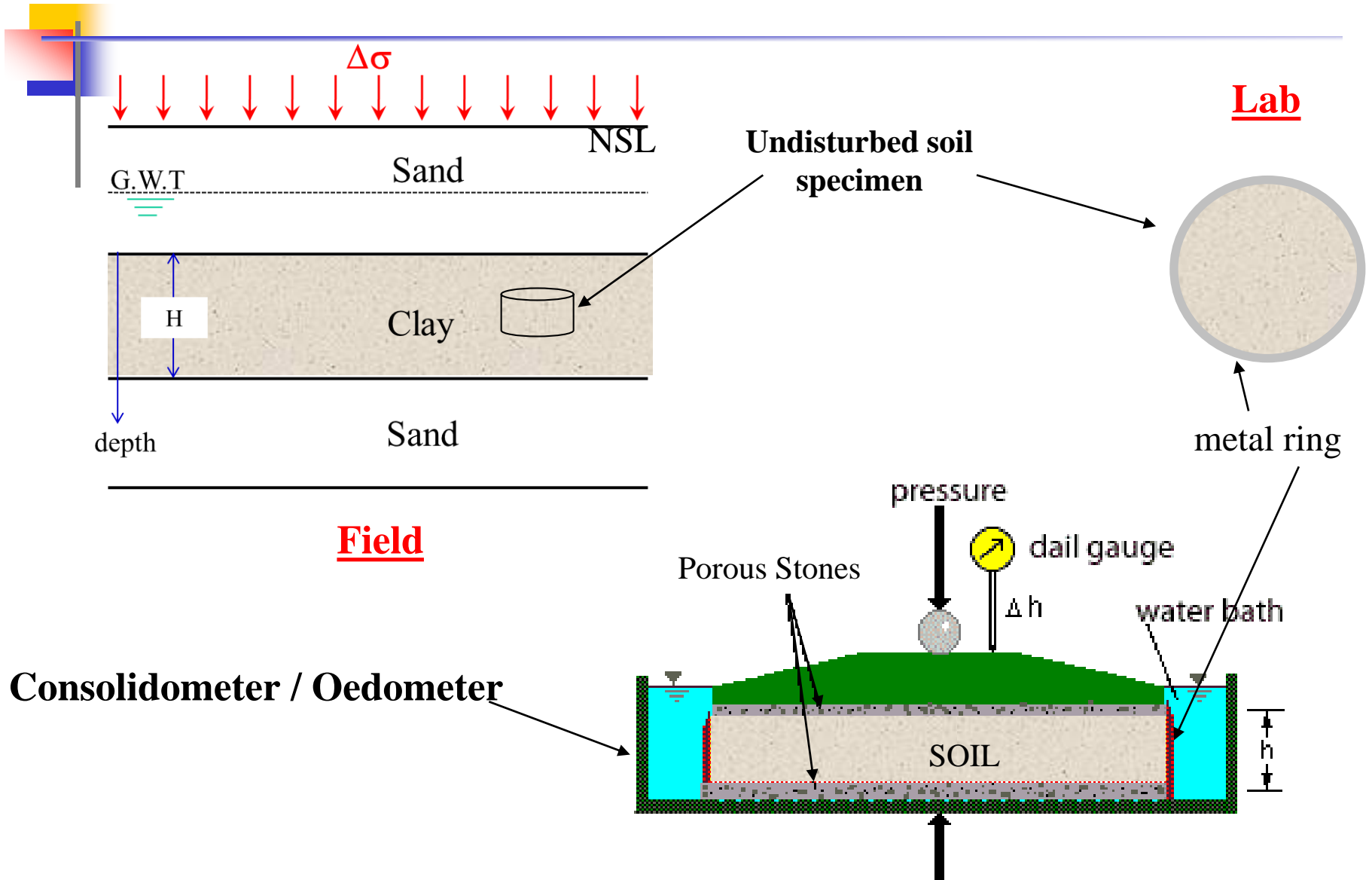
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*Lecture Handouts: <https://groups.google.com/d/forum/geotec-1>*

# Consolidation Test



# CONSOLIDATION TEST

## Interpretation of Test Results

*Magnitude* of settlement → compression index ( $C_c$ )

*Rate* of consolidation → co-efficient of consolidation ( $C_v$ )

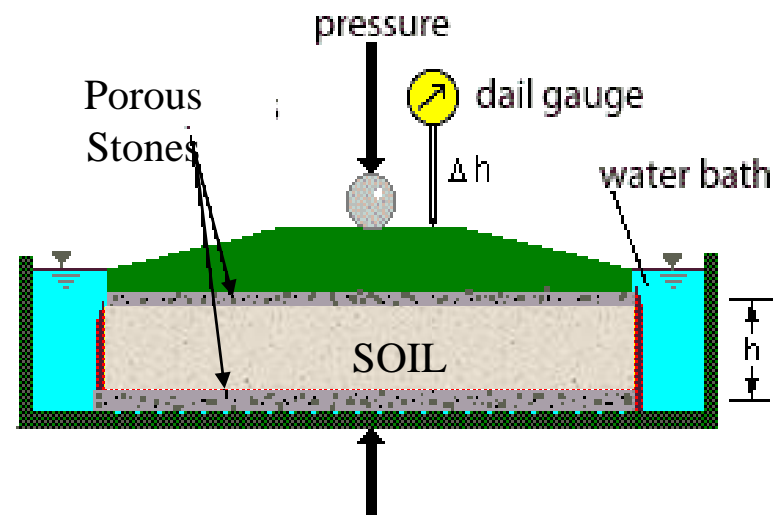
*Time* required for consolidation (Consolidation Time) →  $t = \left( \frac{T \cdot H^2}{C_v} \right)$

### 1. Time ~ Deformation curve

- i.  $C_v$  (Coefficient of consolidation)

### 2. Pressure ~ Deformation curve

- i.  $C_c$  (Compression index)
- ii.  $C_r$  (Recompression index)
- iii.  $a_v$  (Coefficient of compressibility)
- iv.  $m_v$  (Coefficient of volume change)



# CONSOLIDATION TEST

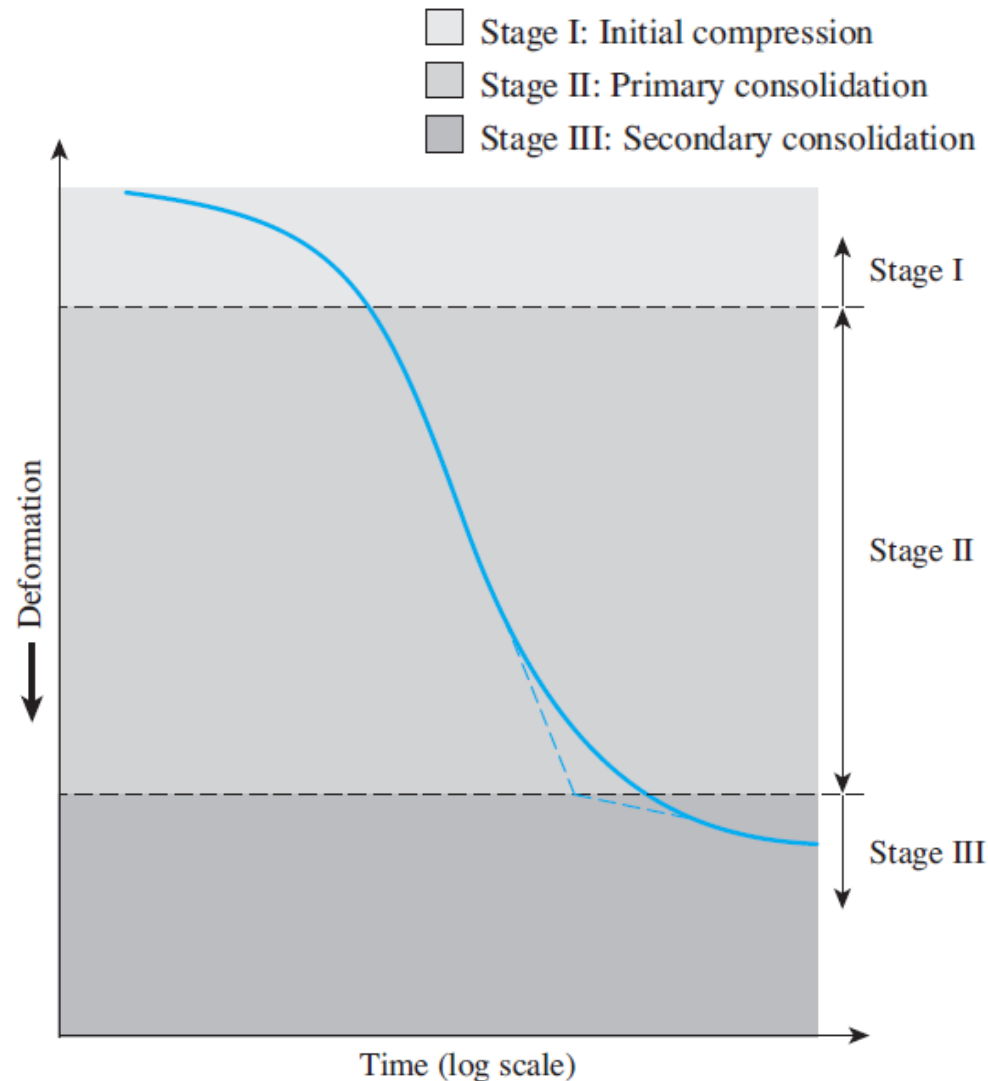
## Deformation ~ Time Plot

Used to determine  $C_v$  (coefficient of consolidation)

- **Rate** of consolidation
- Consolidation **Time**

### Methods of Determining $C_v$

1. Casagrande's **log-time** method (1938)
2. Taylor's **Square root of time** method (1948)



# DEFORMATION ~ TIME PLOT

## Casagrande's log-time method

Used to determine  $C_v$  (coefficient of consolidation)

- Rate of consolidation
- Consolidation Time

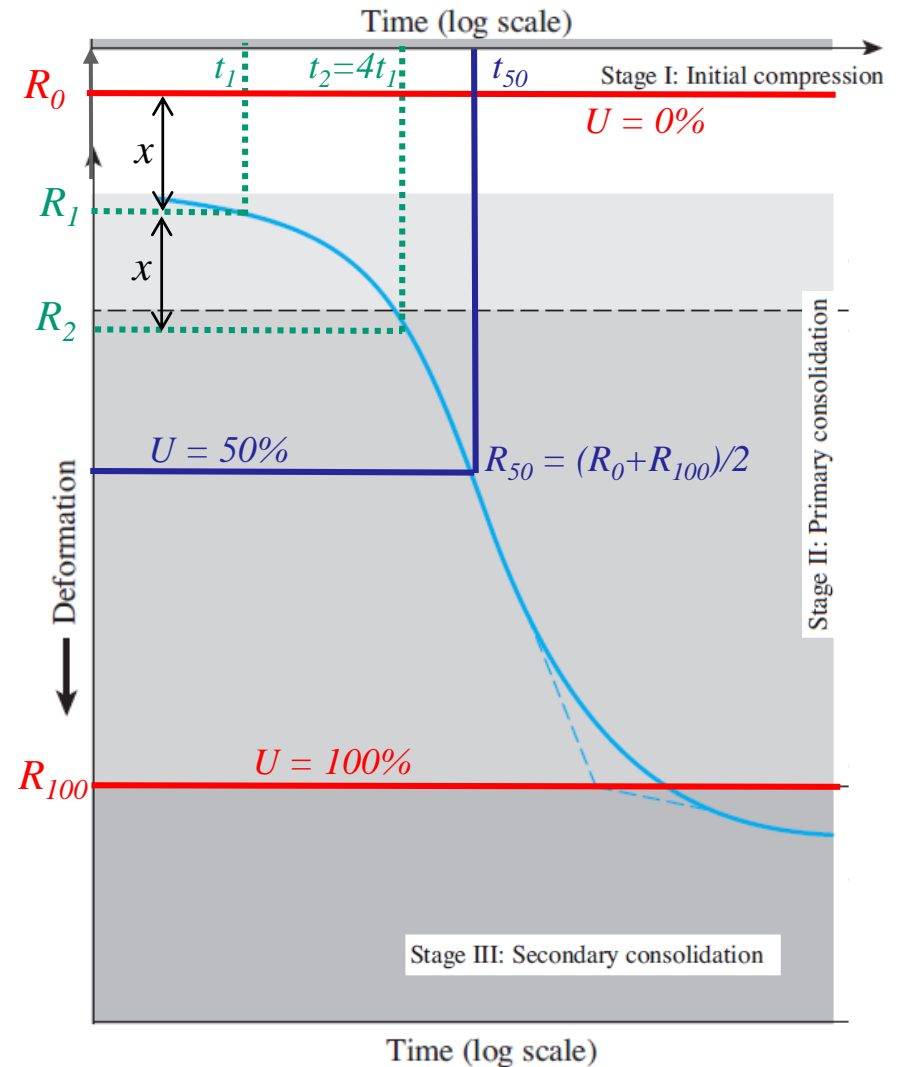
$$C_v = \left( \frac{T \cdot H^2}{t} \right)$$

$t_{50}$ : obtained from deformation ~ time plot

$H = t/2$  (for two-way drainage)

$t$  = height of specimen

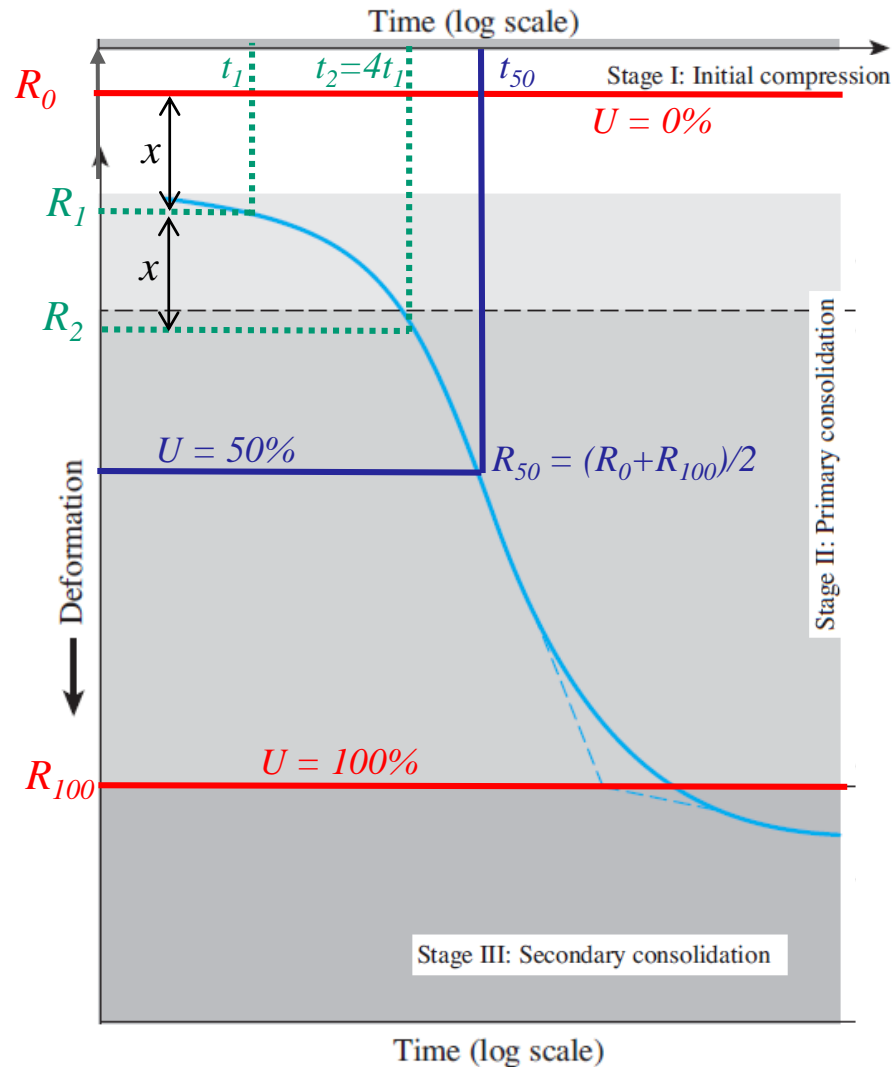
$T$  = Time factor = 0.197 (for  $u=50\%$ )



# DEFORMATION ~ TIME PLOT

## Casagrande's log-time method

- Plot specimen *deformation* against *log-of-time*
- $R_0$  and  $R_{100}$  represent dial readings for zero percent ( $U_0$ ) and 100% ( $U_{100}$ ) degree of consolidation respectively.
- For determining  $U_{100}$
- Draw *two tangents* to the bottom part of curve. Intersection of these tangents represent  $U_{100}$ .
- The corresponding abscissa represent  $t_{100}$ .
- For determining  $U_0$
- Choose any two times  $t_1$  and  $t_2$ , such that  $t_2 = 4t_1$
- The corresponding dial readings are  $R_1$  and  $R_2$
- Mark off *vertical distance between  $R_1$  &  $R_2$*  (say 'x')
- $R_0$  lies 'x' distance above  $R_1$ .
- $R_{50}$  represents 50% degree of consolidation ( $U_{50}$ )
- $R_{50}$  lies *mid-way between  $R_0$  and  $R_{100}$* .
- *The time ( $t_{50}$ ) is used for determination of  $C_v$ .*



# DEFORMATION ~ TIME PLOT

## Taylor's Square-root of Time Method

Uses  $t_{90}$  for computing  $C_v$

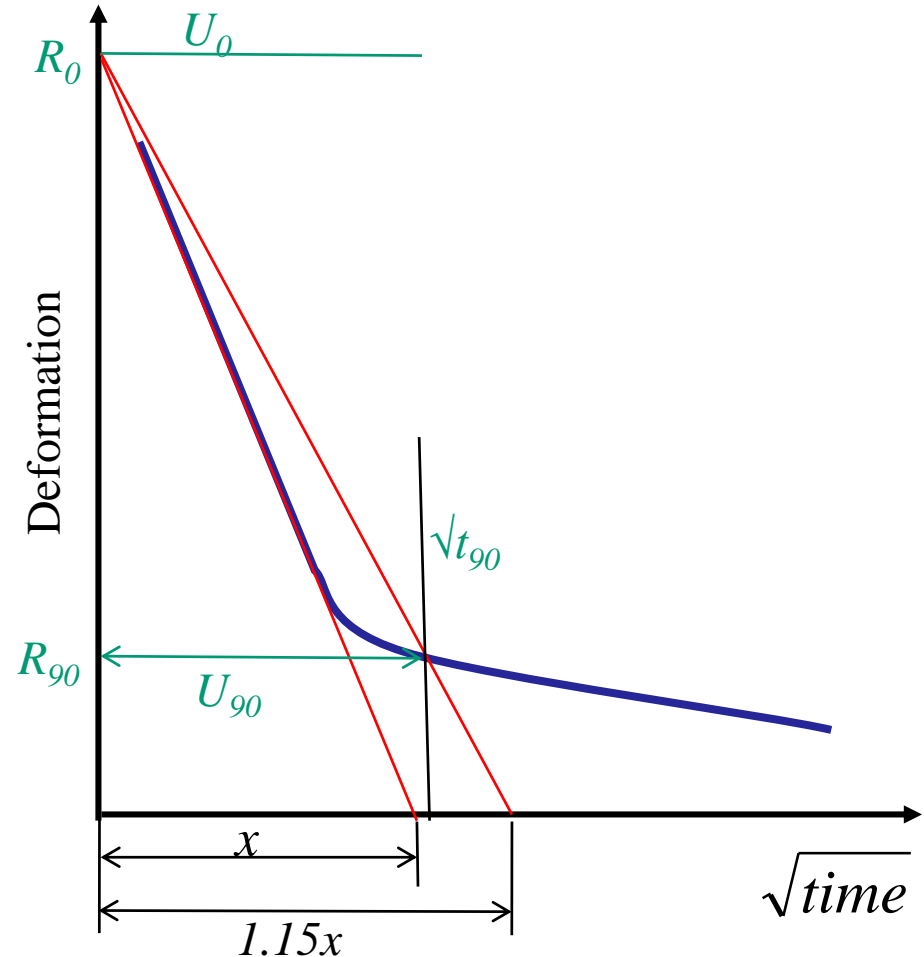
Plot *deformation ~ square root of time*.

- Project the straight line portion of the initial part of curve backward to zero time to define  $R_0$  or  $U_0$ .
- Draw a second line from  $R_0$  with **abscissa 1.15 times** as large as the corresponding values on the first line.
- The intersection of the second line with the laboratory curve defines  $R_{90}$  or  $U_{90}$ .

$$C_v = \left( \frac{T_{90} \cdot H^2}{t_{90}} \right)$$

$T_{90}$  = Time factor for 90% degree of consolidation ( $U_{90}$ ).

$$T_{90} = 0.848$$



# DEFORMATION ~ TIME PLOT

## Summary

Used for determining  $C_v$

$C_v$  is used for determining *rate of consolidation*, and *consolidation time*.

Casagrande's log-time fitting method

Determines  $C_v$  corresponding to  $U=50\%$ .

*Deformation ~ log-time* plot

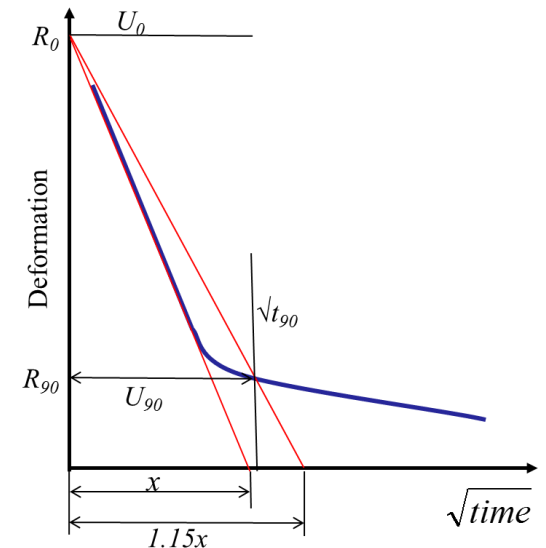
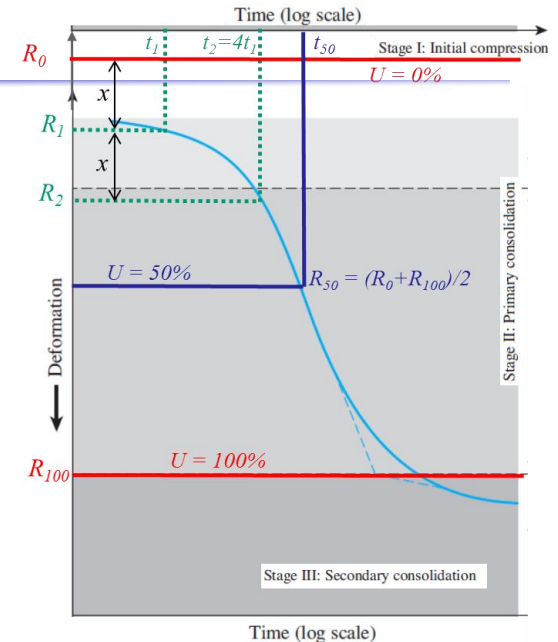
$$C_v = \left( \frac{T_{90} \cdot H^2}{t_{90}} \right)$$

Taylor's square root of time method

Determines  $C_v$  corresponding to  $U=90\%$ .

*Deformation ~ square root of time* plot

$C_v$  determined from *√(time) method* is often *slightly greater* than the *log-time method*.



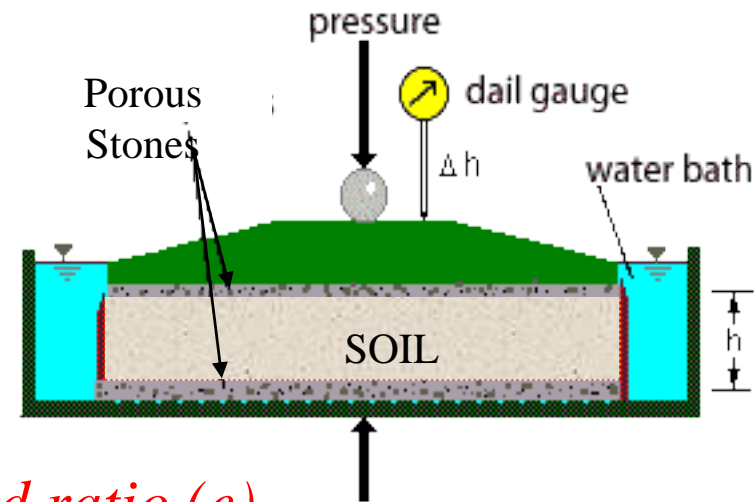


# CONSOLIDATION TEST

## Pressure ~ Deformation Curve

### Pressure ~ Deformation curve

- i.  $C_c$  (Compression index)
- ii.  $C_r$  (Recompression index)
- iii.  $a_v$  (Coefficient of compressibility)
- iv.  $m_v$  (Coefficient of volume change)



Deformations plotted in terms of *void ratio ( $e$ )*

- Void ratio ~ pressure plot ( *$e \sim p$  plot*)
- Void ratio ~ log of pressure ( *$e \sim \log p$  plot*)

# CONSOLIDATION TEST

## Pressure ~ Void Ratio Curve

### Determination of $e_0$

$e_0$  = initial (or in-situ) void ratio

$$e_0 = \frac{V_V}{V_S} = \frac{A \cdot H_V}{A \cdot H_S} = \frac{H_V}{H_S} \dots \dots \dots (1)$$

$$H_V = H - H_S$$

$$V_S = \frac{W_S}{G_S \cdot \gamma_w}$$

$$A \cdot H_S = \frac{W_S}{G_S \cdot \gamma_w}$$

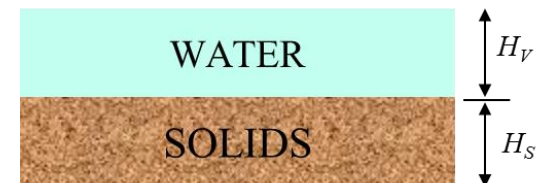
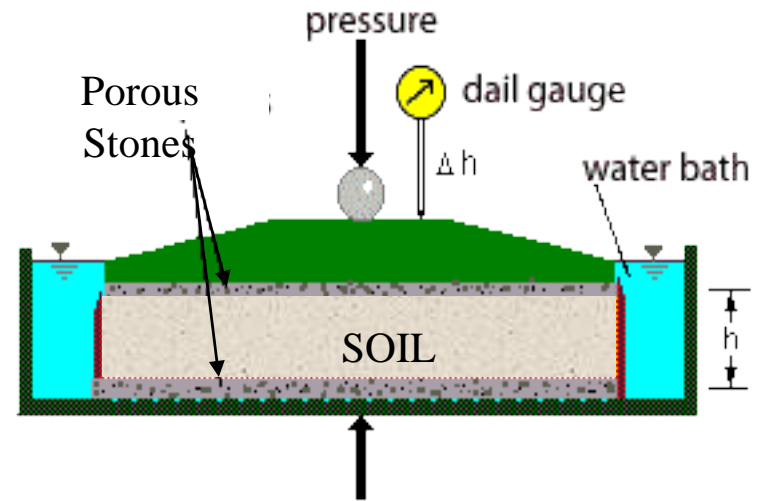
$$H_S = \frac{W_S}{G_S \cdot \gamma_w \cdot A}$$

$$H_V = H - \frac{W_S}{G_S \cdot \gamma_w \cdot A}$$

$$eq.(1) \Rightarrow e_0 = \frac{H \cdot (G_S \cdot \gamma_w \cdot A) - W_S}{W_S} \dots \dots \dots (2)$$

$W_s$  = weight of soil solids

Determined from oven drying the specimen at the end of consolidation test.

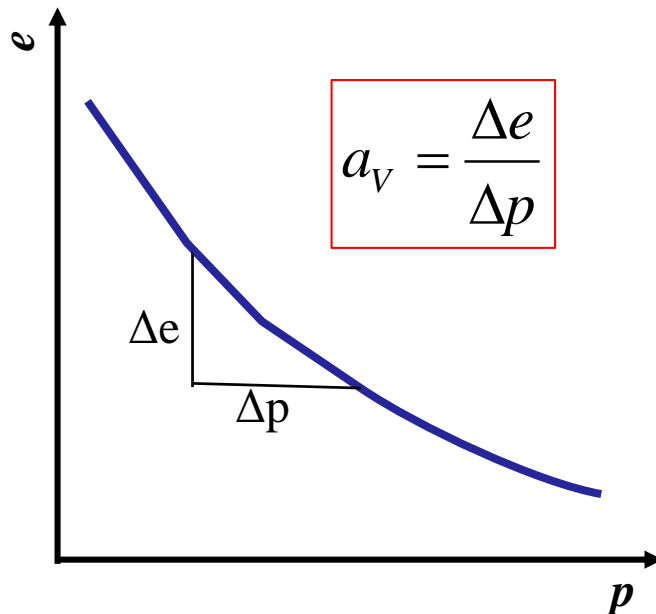


$$W_S = \frac{W_T}{1 + w}$$

# CONSOLIDATION TEST

## Pressure ~ Deformation Curve

$e \sim p$  plot

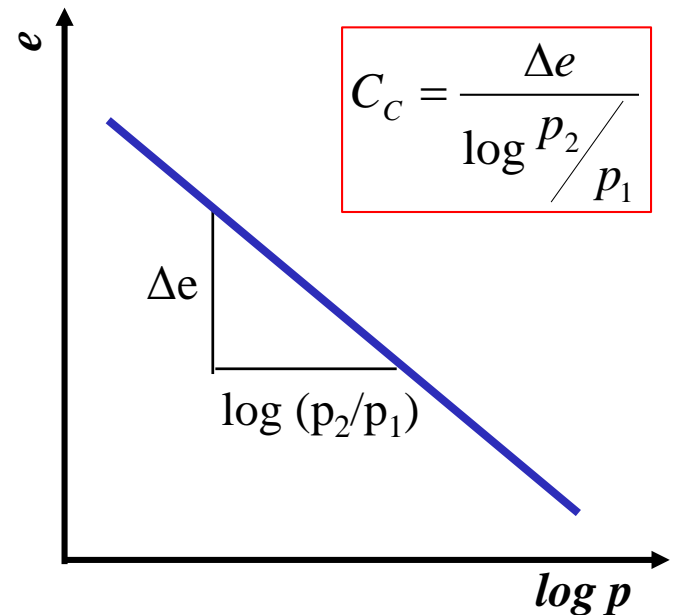


$a_v$  = coefficient of compressibility

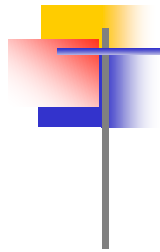
$C_c$  = compression index

$m_v$  = coefficient of volume change

$e \sim \log p$  plot



$$m_v = \frac{a_v}{1 + e}$$



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**CONCLUDED**